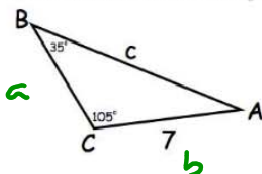


Name: \_\_\_\_\_  
 Period: \_\_\_\_\_

Date: \_\_\_\_\_  
 Mr. Valentino

Aim: What is the law of cosines?

Do Now: Solve for the missing side in  $\triangle ABC$ . Round to the nearest tenth.

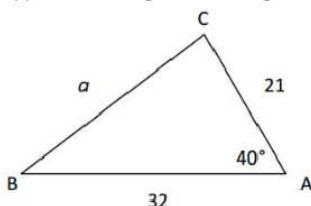


$$\frac{\sin 35}{7} = \frac{\sin 105}{c}$$

$$\frac{c \sin 35}{\sin 35} = \frac{7 \sin 105}{\sin 35}$$

$$c = 11.8$$

Suppose we were given the triangle below. Could we use the Law of Sines to find a? Why or why not?



No, there  
is only one  
angle measure (not  
enough  
info) //

Law of Cosines

Useful for finding:

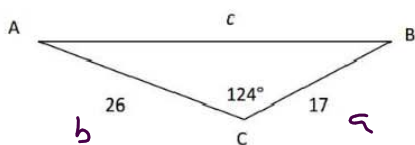
- (1) Given two sides and the included angle, find a missing side.
- (2) Given three sides, find a missing angle.
- (3) Given two sides and the non-included angle, find a missing side.

$$c^2 = a^2 + b^2 - 2ab \cos C$$

$$b^2 = a^2 + c^2 - 2ac \cos B$$

$$a^2 = b^2 + c^2 - 2bc \cos A$$

Find the length of the missing side (round to the nearest hundredth)



$$c^2 = a^2 + b^2 - 2ab \cos C$$

$$c^2 = (17)^2 + (26)^2 - (2(17)(26)\cos(124))$$

$$\sqrt{c^2} = \sqrt{1459.326527}$$

$$c = 38.20$$

NORMAL FLOAT AUTO REAL DEGREE MP

$$(17)^2 + (26)^2 - (2 * 17 * 26 * \cos(124))$$

1459.326527

---

√Ans

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38.20113253

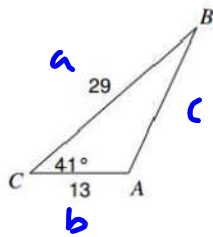
$$a^2 = b^2 + c^2 - 2bc \cos A$$

$$b^2 = a^2 + c^2 - 2ac \cos B$$

$$c^2 = a^2 + b^2 - 2ab \cos C$$

For 1-4, find the missing lengths to the nearest whole number.

1) Find AB



$$c^2 = a^2 + b^2 - 2ab \cos C$$

$$c^2 = 29^2 + 13^2 - 2(29)(13) \cos 41$$

NORMAL FLOAT AUTO REAL DEGREE MP

$$29^2 + 13^2 - (2 * 29 * 13 * \cos(41))$$

$$440.9489765$$

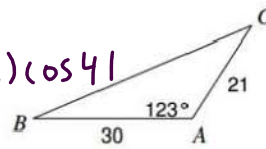

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$$\sqrt{\text{Ans}}$$

$$20.99878512$$

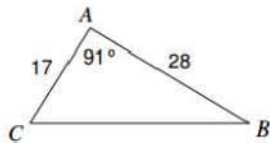
(21)

2) Find BC



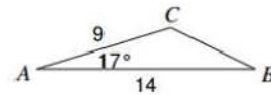
(45)

3) Find BC



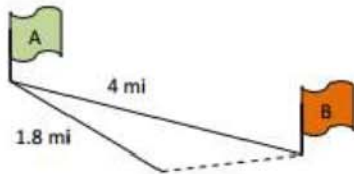
(33)

4) Find BC

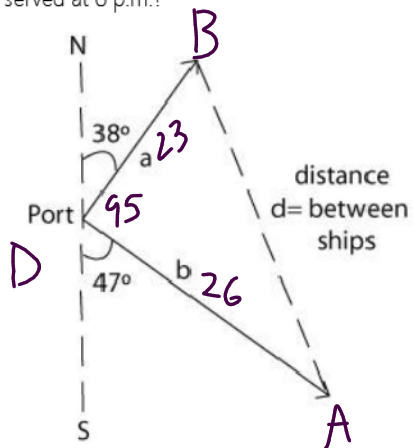


(6)

5. Mary is orienteering across a large flat plain from Marker A to Marker B which are 4 miles apart. After walking 1.8 miles she realizes she is 6° off-course. To the nearest tenth of a mile, how far from Marker B is she when she realizes her error?



6. Two ships leave port at 4 p.m. One is headed at a bearing of NE  $38^\circ$  and is traveling at 11.5 miles per hour. The other is traveling 13 miles per hour at a bearing of SE  $47^\circ$ . To the nearest mile, how far apart are they when dinner is served at 6 p.m.?



$$d^2 = a^2 + b^2 - 2ab \cos 95$$

$$d^2 = 23^2 + 26^2 - 2(23)(26)\cos 95$$

$$\sqrt{d^2} = \sqrt{1309}$$

$$d = 36 \text{ miles}$$