

Geometry CC – Mr. Valentino  
 Unit 4 Lesson 1: Symmetry

Name: \_\_\_\_\_  
 Date: \_\_\_\_\_ Period: \_\_\_\_\_

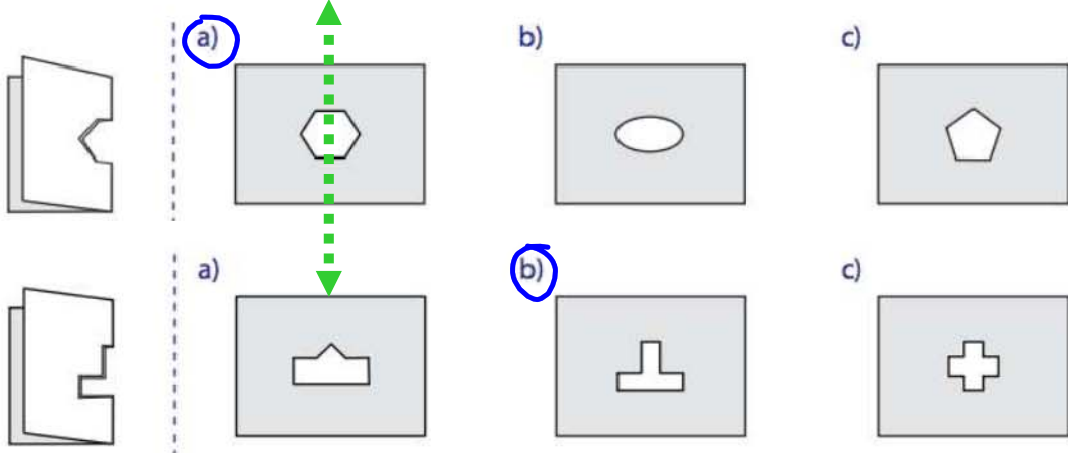
AIM: Identify and differentiate the three different types of symmetry: *line, point, and rotational*.

Do Now: You will be given a shape with a pattern on it. Find a classmate that is your match.

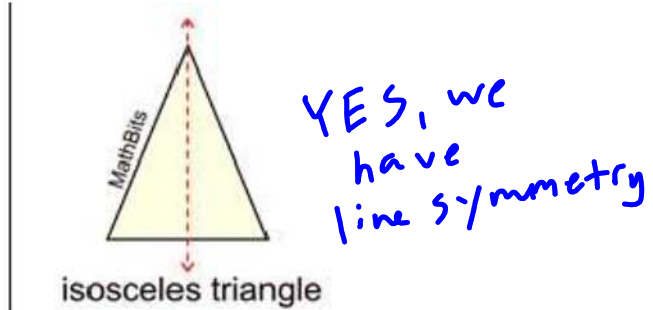
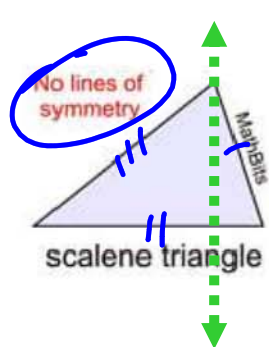
It's time to discuss an important part of geometry...symmetry!

## Line Symmetry

A line of symmetry is a line that divides a figure into two mirror images. The figure is mapped onto itself by a reflection in this line.

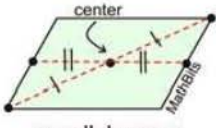
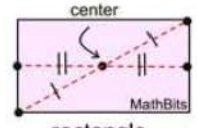
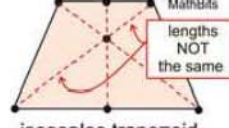
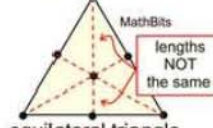


Let's discuss some lines of symmetry on geometric figures:



## Point Symmetry

A figure has point symmetry ~~same~~ <sup>x</sup> when it looks the same upside-down as it does right-side-up (180 degree rotation).

<p><b>Point Symmetry</b></p>  <p>parallelogram</p>	<p><b>Point Symmetry</b></p>  <p>rectangle</p>	<p><b>No Point Symmetry</b></p>  <p>isosceles trapezoid</p>	<p><b>No Point Symmetry</b></p>  <p>equilateral triangle</p>
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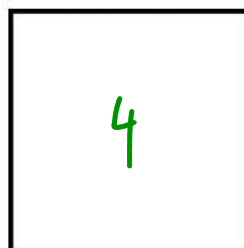
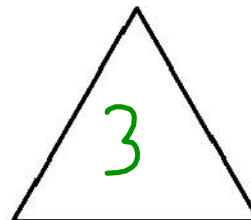
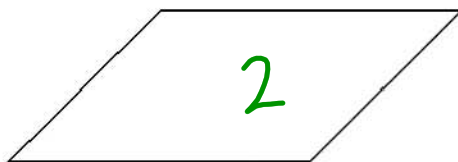
## Rotational Symmetry

A figure has rotational symmetry if when rotating (turning or spinning) the figure around a center point by less than 360°, the figure appears the same or UNCHANGED

The number of positions in which the rotated object appears unchanged is called the order of the symmetry.

Let's examine the point and rotational symmetry of some geometric figures:

$$\frac{360}{3} = 120$$



point symmetry  $\rightarrow$  must have  
rotational  
symmetry

rotational symmetry  $\rightarrow$  not necessarily have  
point symmetry